

Usefulness and estimation of proportionality constraints The propensing package

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Maarten L. Buis Usefulness and estimation of proportionality constraints

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Outline

usefulness

proportionality constraint a latent variable scale for a categorical variable

estimation

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proportionality constraint a latent variable scale for a categorical variable

Outline

usefulness

proportionality constraint a latent variable scale for a categorical variable

estimation

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proportionality constraint a latent variable scale for a categorical variable

example

Hypothesis:

Effect of father's and mother's socioeconomic status on child's education can change over cohorts,

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proportionality constraint a latent variable scale for a categorical variable

example

Hypothesis:

Effect of father's and mother's socioeconomic status on child's education can change over cohorts, but the relative contribution of the father and the mother remains constant.

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proportionality constraint a latent variable scale for a categorical variable

example

Hypothesis:

Effect of father's and mother's socioeconomic status on child's education can change over cohorts, but the relative contribution of the father and the mother remains constant.

$$ed = \beta_0 + \beta_1 coh + (1 + \lambda_1 coh)(\gamma_1 pasei + \gamma_2 masei)$$

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example

Hypothesis:

Effect of father's and mother's socioeconomic status on child's education can change over cohorts, but the relative contribution of the father and the mother remains constant.

$$ed = \beta_0 + \beta_1 coh + (1 + \lambda_1 0)(\gamma_1 pasei + \gamma_2 masei)$$

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$$ed = \beta_0 + \beta_1 coh + (1 + \lambda_1 1)(\gamma_1 pasei + \gamma_2 masei)$$

 $ed = \beta_0 + \beta_1 coh + (1 + \lambda_1)\gamma_1 pasei + (1 + \lambda_1)\gamma_2 masei)$

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empirical example

 7 surveys held between 1994 and 2006 in the USA from the General Social Survey (GSS) containing data on 2,500 white male.

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empirical example

- 7 surveys held between 1994 and 2006 in the USA from the General Social Survey (GSS) containing data on 2,500 white male.
- Variable degree: educational attainment in pseudo years

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empirical example

- 7 surveys held between 1994 and 2006 in the USA from the General Social Survey (GSS) containing data on 2,500 white male.
- Variable degree: educational attainment in pseudo years
- Variable byr: cohort centered in 1940 and measuring time in decades, ranges between 1929 and 1979.

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empirical example

- 7 surveys held between 1994 and 2006 in the USA from the General Social Survey (GSS) containing data on 2,500 white male.
- Variable degree: educational attainment in pseudo years
- Variable byr: cohort centered in 1940 and measuring time in decades, ranges between 1929 and 1979.
- Variables pasei and masei: Father's and mother's occupational status, ranges between 0 and 1.

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proportionality constraint a latent variable scale for a categorical variable

example output

. propensreg Constraint: []	degree byr, Lambda]_cons	lambda(byr) = 1	constrai	ned(mase	i pasei) lcons	
degree	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
unconstrai~d byr _cons	.0392033	.1418648	0.28	0.782	2388465 9.699157	.3172531 10.78205
constrained masei pasei	3.363018 3.948723	.3688164 .3972388	9.12 9.94	0.000	2.640152 3.170149	4.085885 4.727296
lambda byr _cons	0323712	.037854	-0.86	0.392	1065637	.0418212
ln_sigma _cons	.837853	.014199	59.01	0.000	.8100234	.8656826
LR test vs. unconstrained model: chi2(1) =				0.04	Prob > chi2 =	0.849

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alternative way of looking

 $ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) (\gamma_1 pasei + \gamma_2 masei)$

latent family sei

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alternative way of looking

$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{lotent} \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{lotent}$$

latent family sei

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Need to identify the latent variable by fixing the origin and the scale.

proportionality constraint a latent variable scale for a categorical variable

alternative way of looking

$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{\text{latent family sei}}$$

- Need to identify the latent variable by fixing the origin and the scale.
- If the minimum value of *pasei* and *masei* is 0 then the origin is fixed to when both variables are minimum.

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$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{\text{latent family sei}}$$

- Need to identify the latent variable by fixing the origin and the scale.
- If the minimum value of *pasei* and *masei* is 0 then the origin is fixed to when both variables are minimum. latent family sei = *γ*₁*pasei* + *γ*₂*masei*

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$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{\text{latent family sei}}$$

- Need to identify the latent variable by fixing the origin and the scale.
- If the minimum value of *pasei* and *masei* is 0 then the origin is fixed to when both variables are minimum. latent family sei = γ₁0 + γ₂0 = 0

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E DQC

$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{\text{latent family sei}}$$

- Need to identify the latent variable by fixing the origin and the scale.
- If the minimum value of *pasei* and *masei* is 0 then the origin is fixed to when both variables are minimum.
- If the maximum value of pasei and masei is 1, and

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$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{\text{transition}}$$

latent family sei

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- Need to identify the latent variable by fixing the origin and the scale.
- If the minimum value of *pasei* and *masei* is 0 then the origin is fixed to when both variables are minimum.
- If the maximum value of *pasei* and *masei* is 1, and their parameters are constrained to sum to 1,

$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{\text{latent family sei}}$$

- Need to identify the latent variable by fixing the origin and the scale.
- If the minimum value of *pasei* and *masei* is 0 then the origin is fixed to when both variables are minimum.
- If the maximum value of pasei and masei is 1, and their parameters are constrained to sum to 1, then the unit is fixed to the distance between both variables at minimum and both variables at maximum.

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$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{\text{latent family sei}}$$

- Need to identify the latent variable by fixing the origin and the scale.
- If the minimum value of *pasei* and *masei* is 0 then the origin is fixed to when both variables are minimum.
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latent family sei = $\gamma_1 pasei + \gamma_2 masei$

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$$ed = \beta_0 + \beta_1 coh + (\lambda_0 + \lambda_1 coh) \underbrace{(\gamma_1 pasei + \gamma_2 masei)}_{\text{latent family sei}}$$

- Need to identify the latent variable by fixing the origin and the scale.
- If the minimum value of *pasei* and *masei* is 0 then the origin is fixed to when both variables are minimum.
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latent family sei = $\gamma_1 \mathbf{1} + \gamma_2 \mathbf{1} = \mathbf{1}$

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proportionality constraint a latent variable scale for a categorical variable

example output

. propensreg Constraint: [degree byr, l constrained]m	lambda(byr) (nasei + [con:	constrain strained]	ed(masei pasei =	pasei) unit(m 1	asei pasei)
degree	Coef.	Std. Err.	Z	₽> z	[95% Conf.	Interval]
unconstrai~d						
byr _cons	.0392033 10.2406	.1418647	0.28 37.07	0.782	2388464 9.699158	.3172529 10.78205
constrained	1					
masei	.4599477	.0323745	14.21	0.000	.3964949	.5234005
pasei	.5400523	.0323745	16.68	0.000	.4765995	.6035051
lambda						
byr	2366899	.2935214	-0.81	0.420	8119814	.3386015
_cons	7.311741	.601956	12.15	0.000	6.131929	8.491553
ln_sigma						
	.837853	.014199	59.01	0.000	.8100234	.8656826
LR test vs. u	nconstrained	model: chi2	(1) =	0.04	Prob > chi2 =	0.849

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proportionality constraint a latent variable scale for a categorical variable

scale for a categorical variable

Example

- Differences in the effect of education in 5 dummies on occupational status between white and black US men:
 - < highschool (reference)</p>
 - highschool (hs)
 - some college (sc)
 - college (c)
 - graduate (g)

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Example

Differences in the effect of education in 5 dummies on occupational status between white and black US men:

- < highschool (reference)</p>
- highschool (hs)
- some college (sc)
- college (c)
- graduate (g)

 $isei = \beta_0 + (\lambda_0 + \lambda_1 black)(\gamma_1 hs + \gamma_2 sc + \gamma_3 c + \gamma_4 g)$

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Example

Differences in the effect of education in 5 dummies on occupational status between white and black US men:

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- highschool (hs)
- some college (sc)
- college (c)
- graduate (g)

 $isei = \beta_0 + (\lambda_0 + \lambda_1 black)(\gamma_1 hs + \gamma_2 sc + \gamma_3 c + 1g)$

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Example

- Differences in the effect of education in 5 dummies on occupational status between white and black US men:
 - < highschool (reference)</p>
 - highschool (hs)
 - some college (sc)
 - ► college (c)
 - graduate (g)

 $isei = \beta_0 + (\lambda_0 + \lambda_1 black)(\gamma_1 hs + \gamma_2 sc + \gamma_3 c + 1g)$

 γ_1 , γ_2 , and γ_3 now measure the position of highschool, some college, and college education, relative to less than highschool (0) and graduate (1).

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proportionality constraint a latent variable scale for a categorical variable

example output

. propensreg s Constraint: [c	ei black, lar constrained]g	mbda(black) = 1	constrai	ned(hs s	ccg) unit(g))
sei	Coef.	Std. Err.	Z	₽> z	[95% Conf	. Interval]
unconstrai~d						
black	042371	.009563	-4.43	0.000	0611141	0236279
_cons	.3638307	.0076114	47.80	0.000	.3489126	.3787488
constrained						
hs	.2226429	.016662	13.36	0.000	.1899861	.2552997
sc	.4411229	.0206904	21.32	0.000	.4005705	.4816753
c	.7185653	.01676	42.87	0.000	.6857163	.7514144
gl	1	•	•	•	•	•
lambda						
black	.0458751	.0227816	2.01	0.044	.0012239	.0905263
_cons	.38541	.0099432	38.76	0.000	.3659217	.4048983
ln sigma						
_cons	-1.859163	.0090043	-206.48	0.000	-1.876811	-1.841515
LR test vs. unconstrained model: chi2(3) =				5.42	Prob > chi2 =	= 0.144

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proportionality constraint a latent variable scale for a categorical variable

Scaling of education



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proportionality constraint a latent variable scale for a categorical variable

Scaling of education



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Outline

usefulness

proportionality constraint a latent variable scale for a categorical variable

estimation

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EM-algorithm for starting values

$$y = \beta_0 + \beta_1 x_1 + (\lambda_0 + \lambda_1 x_1)(\gamma_1 z_1 + \gamma_2 z_2)$$

Maarten L. Buis Usefulness and estimation of proportionality constraints

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 - 5. Repeat steps 1-4 till convergence.

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speed and standard errors

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speed and standard errors

- To speed up convergence every 5th iteration will consist of two ml iterations for the complete model.
- Once the EM has converged, these estimates are fed into ml for the complete model to get the variance covariance matrix.

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example iteration log

improving	starting values		
iteration	unconstrained part only	constrained b part only	full model
1 2 3 4	2712.7047 2716.4376 2716.6246 2716.674	2716.1367 2716.5608 2716.6572 2716.6825	
5	two iterations	from full mode	2716.6914
6	2716.6914	2716.6914	

estimating full model

Iteration	0:	log	likelihood	=	2716.6899
Iteration	1:	log	likelihood	=	2716.6914
Iteration	2:	log	likelihood	=	2716.6914

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- It can also be interpreted in terms of a latent variable, e.g. father's and mother's status both measure family status.
- Standard ml can have a hard time converging, so starting values are created using a EM algorithm.

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